

Improving statistical data editing with Machine Learning: first use cases in Statistics Spain (INE)

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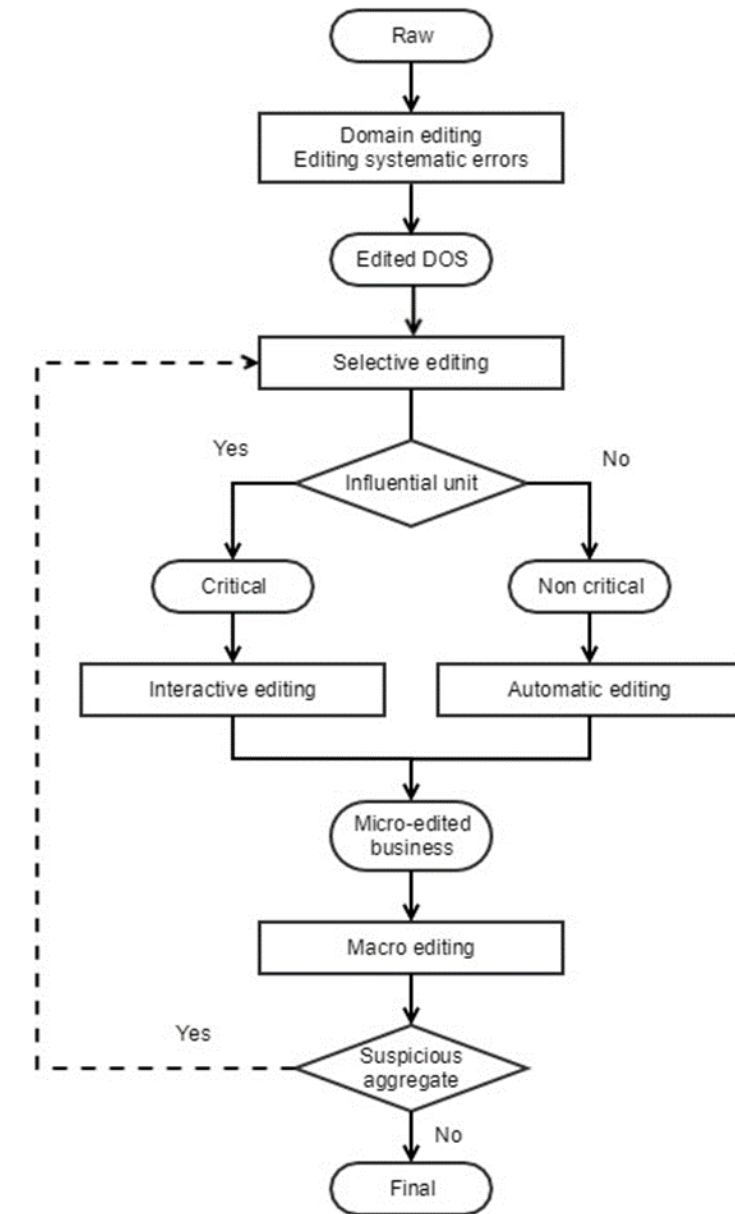


Outline

- **Context**
- Case 1: Local **scores**
- Case 2: **Semicontinuous** variables
- Case 3: **Imputation - Nowcasting**
- Case 4: **Imbalanced** data
- Case 5: Measure **Quality**
- Case 6: **NLP** questionnaire comments
- **Conclusions**

Editing business functions

- **Review**
 - measuring the plausibility of values
 - assessing data for logical consistency
 - Units review (scores)
- **Selection**
 - Selection of **units**
 - Selection of **variables**
- **Treatment**
 - **Imputation** of variables
 - Treatment of **units**



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Generic Statistical Data Editing Model GSDEM

(Version 2.0, June 2019)

About this document
This document provides a description of the GSDEM.



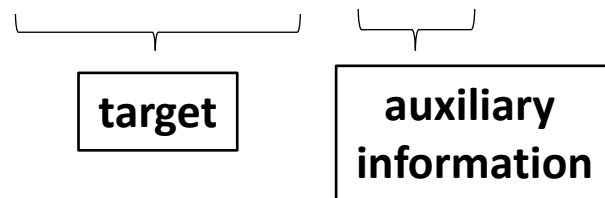
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Case 1: Local Scores

- Traditionally $s_k = s(\hat{y}_k, y_k^{raw}) = d_k \cdot |y_k^{raw} - \hat{y}_k|$

- Optimization** approach:

$$s_k = \mathbb{E}[d_k \cdot |Y_k^{raw} - Y_k^{true}| | X_k] \rightarrow \text{Machine Learning models}$$



- Application to **categorical variables**:

$$s_k = d_k \cdot \mathbb{P}(\epsilon_k = 1 | X_k)$$

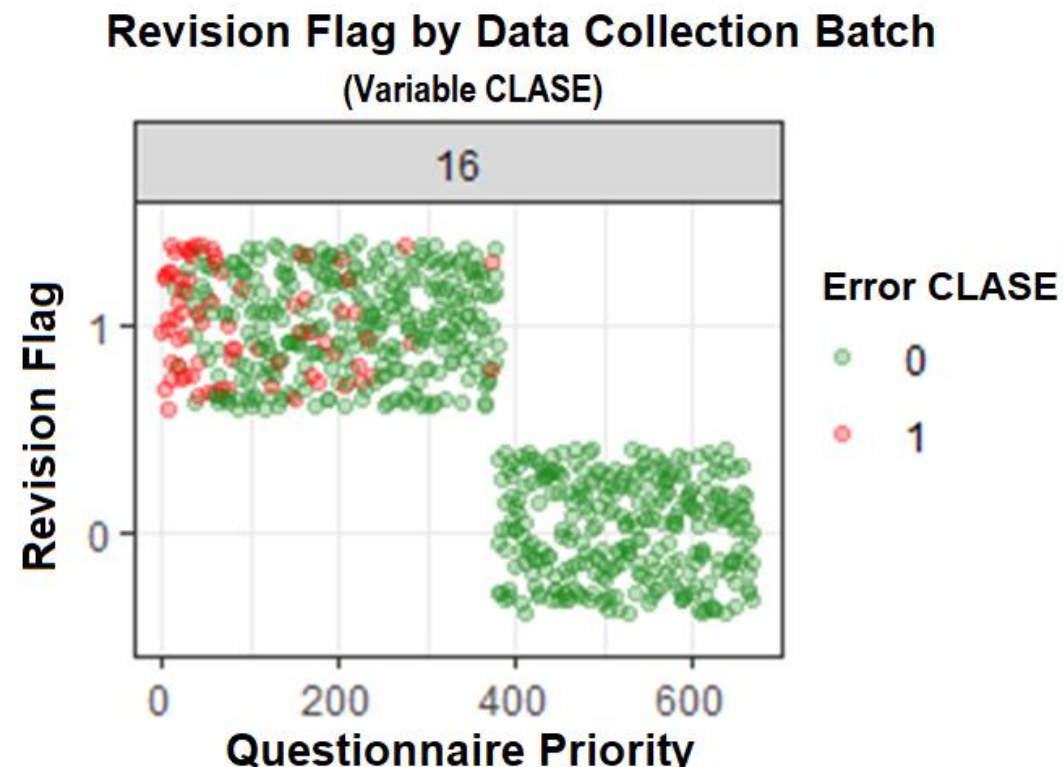
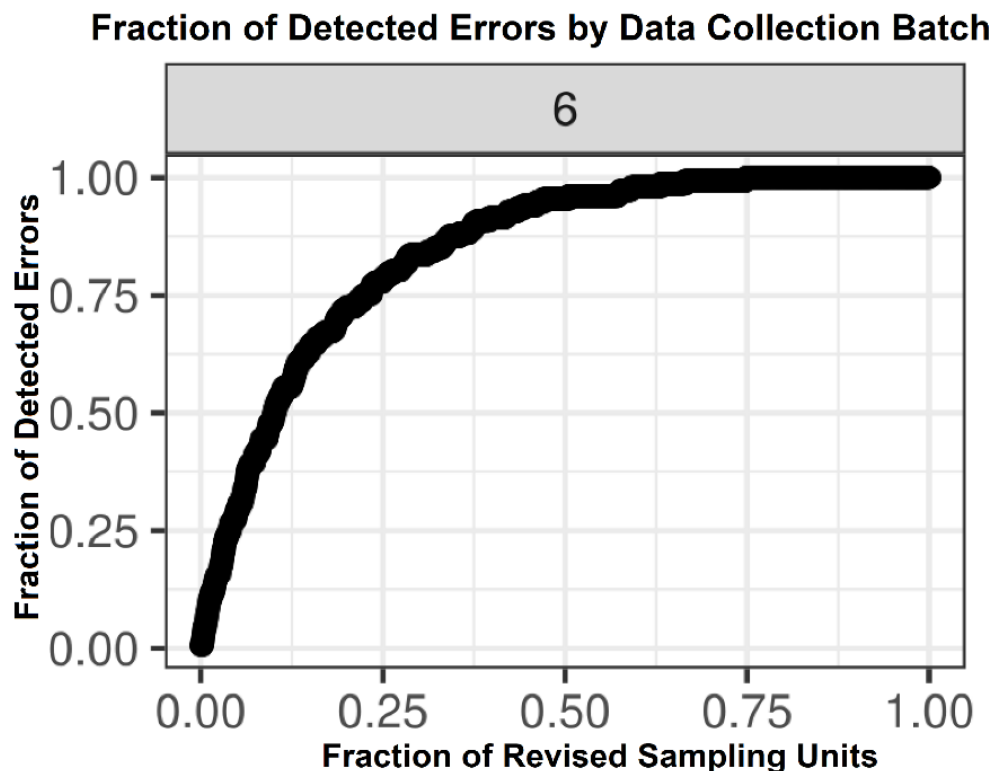
where $\epsilon_k = |y_k^{raw} - y_k^{val}|$ is the **measurement error** (binary in categ. vars)

- European Health Interview Survey** in Spain: occupation (CLASE).
 - Random Forest for Classification. Target: error indicator.



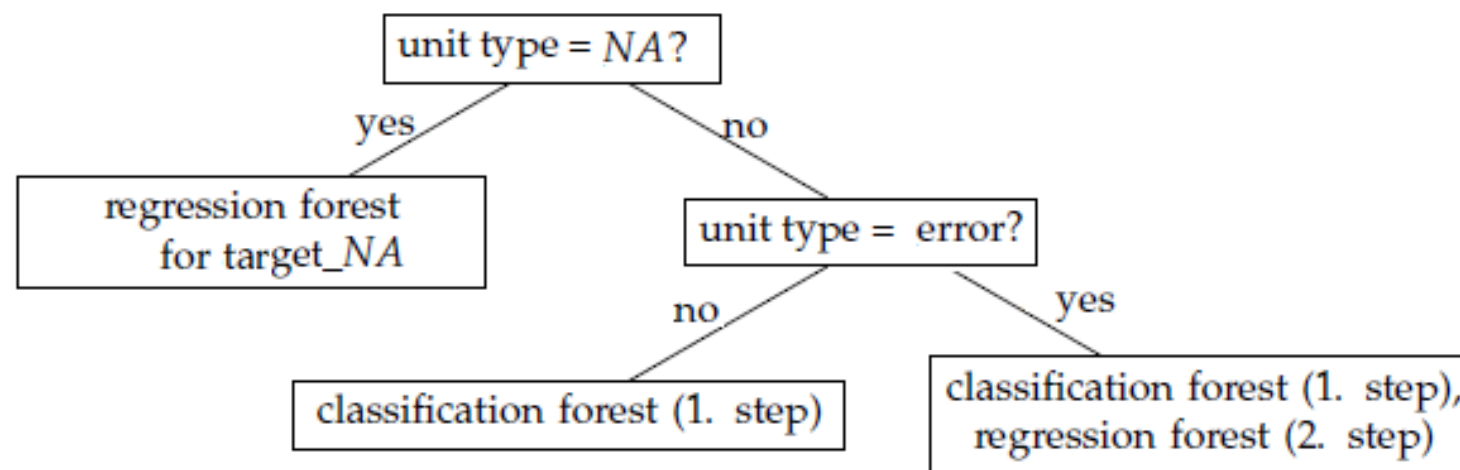
Case 1: Local Scores

- **First half** of the sorted sample already contained 75% of all measurement errors



Case 2: Semicontinuous variables

- **Continuous** variable: y_k (Services Sector Activity Indicators: turnover)
- Target in the models:
 - STEP 1 (RF classification): $I(\epsilon_k > 0)$ (binary indicator of error)
 - STEP 2 (RF regression): $\epsilon_k = |Y_k^{raw} - Y_k^{val}|$ (absolute error)
- **Two-stage approach** to model semicontinuous variables including missing values:



- **Score local:**

$$s_k = d_k \cdot \mathbb{P}(\epsilon_k > 0 | X_k) \cdot \mathbb{E}[\epsilon_k | \epsilon_k > 0, X_k]$$

Case 2: Semicontinuous variables

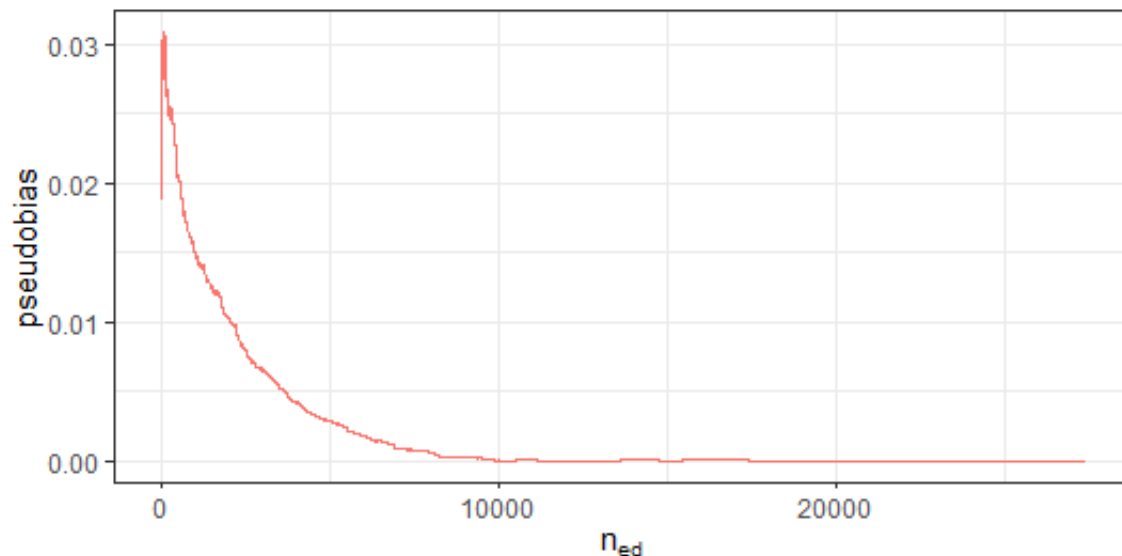
- Relative pseudobias in absolute value:

$$ARB(\hat{Y}(n_{ed})) = \frac{|\hat{Y}(n_{ed}) - \hat{Y}^0|}{\hat{Y}^0}$$

Absolute relative pseudo bias by number of edited units

n = 27401,

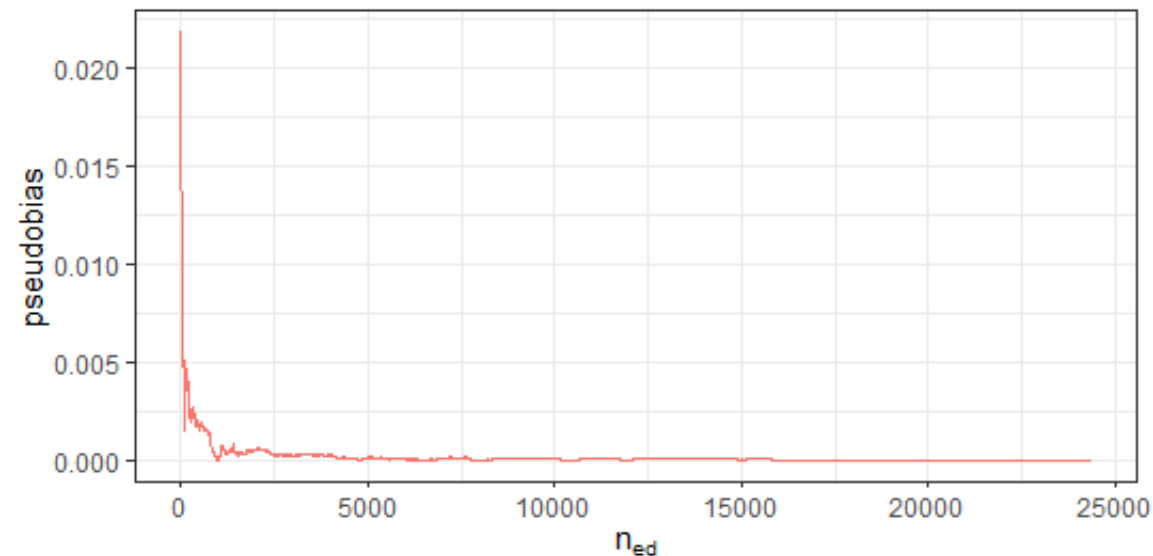
Note: ranks were assigned with consideration of the weights



Absolute relative pseudo bias by number of edited units

n = 24363, subset without missing values in turnover

Note: ranks were assigned with consideration of the weights



INe Case 3: Imputation - Nowcasting

- Early estimates of Spanish Industrial Turnover Index Survey
- **Mass imputation** exercise over units not yet collected during the data collection
- **Gradient boosting** algorithm (lightgbm).

$$Y_{U_d}^{(m)}(t) = \sum_{k \in r_{t,d}} y_{kt}^{(m,ed)} + \sum_{k \in U_d - r_{t,d}} \hat{y}_{kt}^{(m,val)}$$

$t < t_{release}$

r_t : collected sample in t

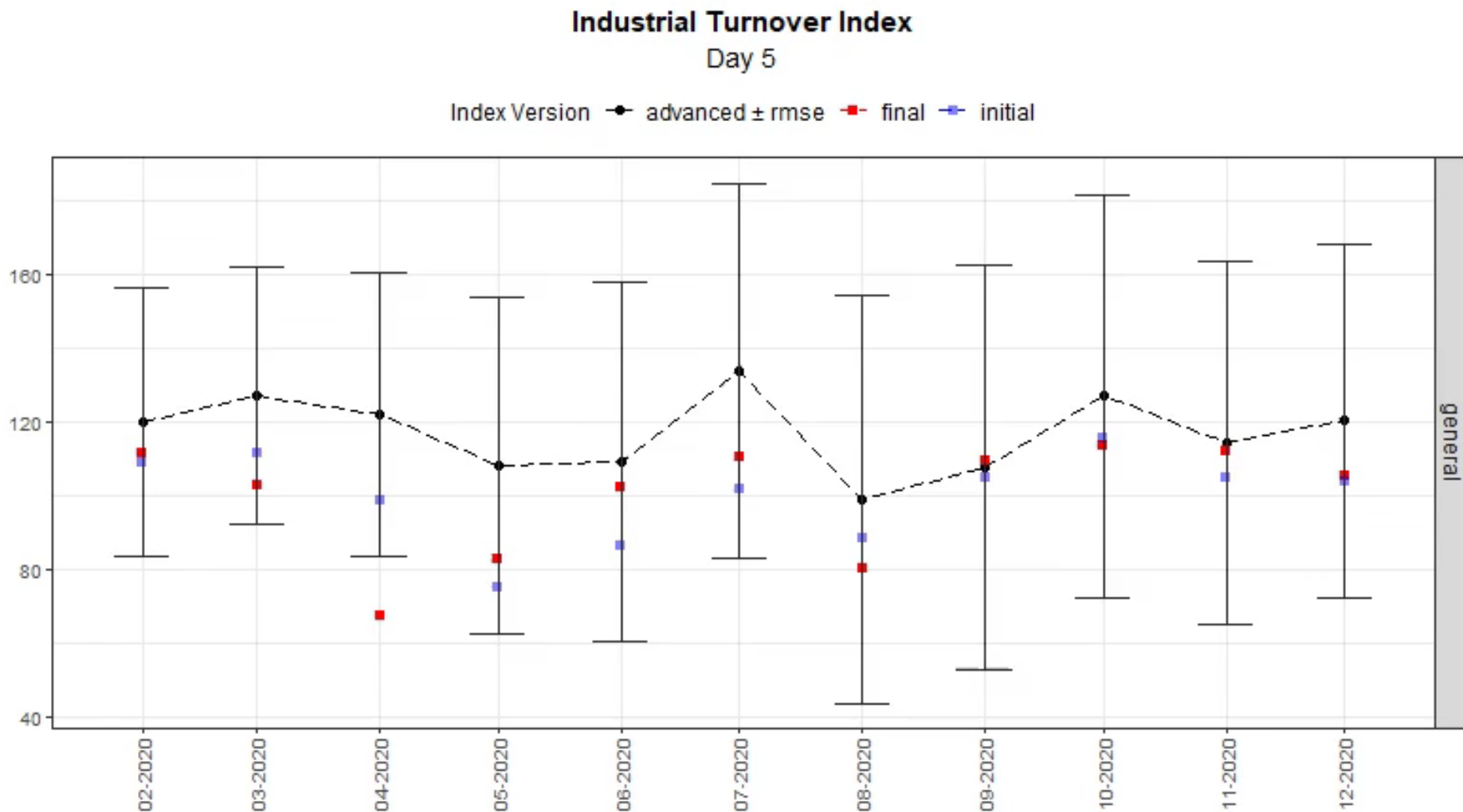
\hat{y}_{kt} : estimation with Gradient boosting algorithm (light gbm).

- **Regressors (287):**

	ID	Cross	Long	Cross+Long	External
Hist. Series	✓	✓	✓	✗	✗
Running Month	✓	✓	✗	✓	✓

- **Process Pipeline: Modular design**

Case 3: Imputation - Nowcasting



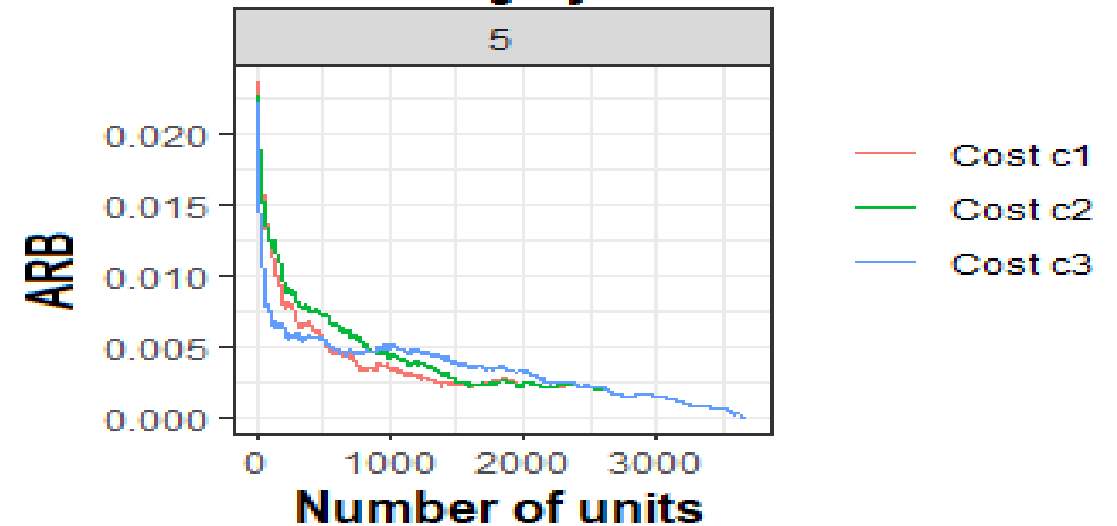
$t_{release} = t + 51$

Case 4: Imbalanced data

- Three approaches:
 - Undersampling, oversampling, **cost-sensitive learning**.
- $$s_k = \begin{cases} d_k \cdot \mathbb{P}(\epsilon_k = 1|X_k) \cdot c & \text{if } \mathbb{P}(\epsilon_k = 1|X_k) \leq \frac{c}{1+c}, \\ d_k \cdot \mathbb{P}(\epsilon_k = 0|X_k) & \text{if } \mathbb{P}(\epsilon_k = 1|X_k) > \frac{c}{1+c}. \end{cases}$$
- European Health Interview Survey in Spain: occupation (CLASE).

		predicted	
		1	0
true	1	0	c
	0	1	0

ARB for variable CLASE
Category 5

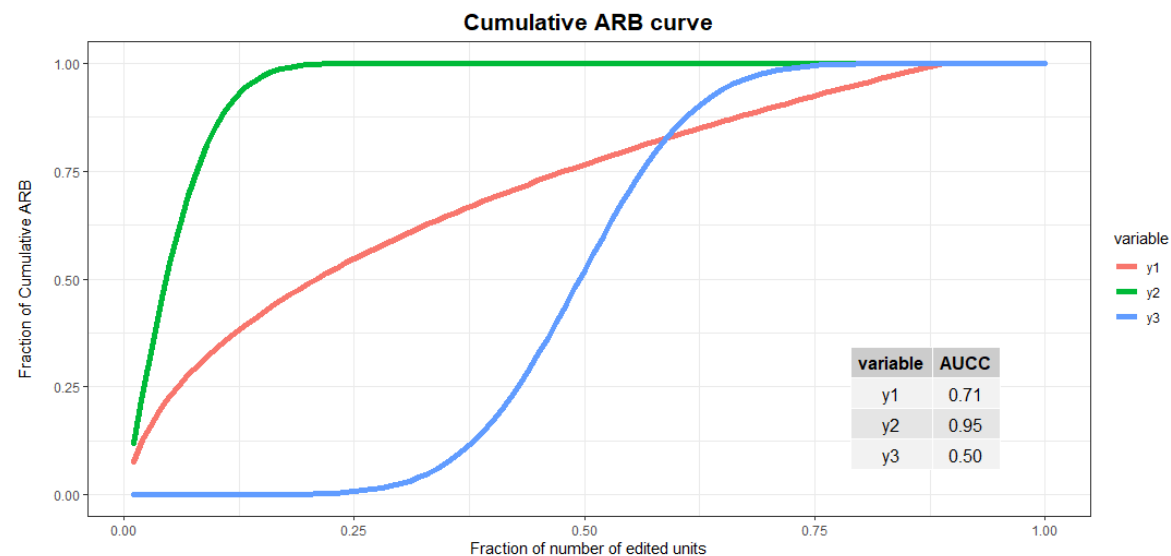
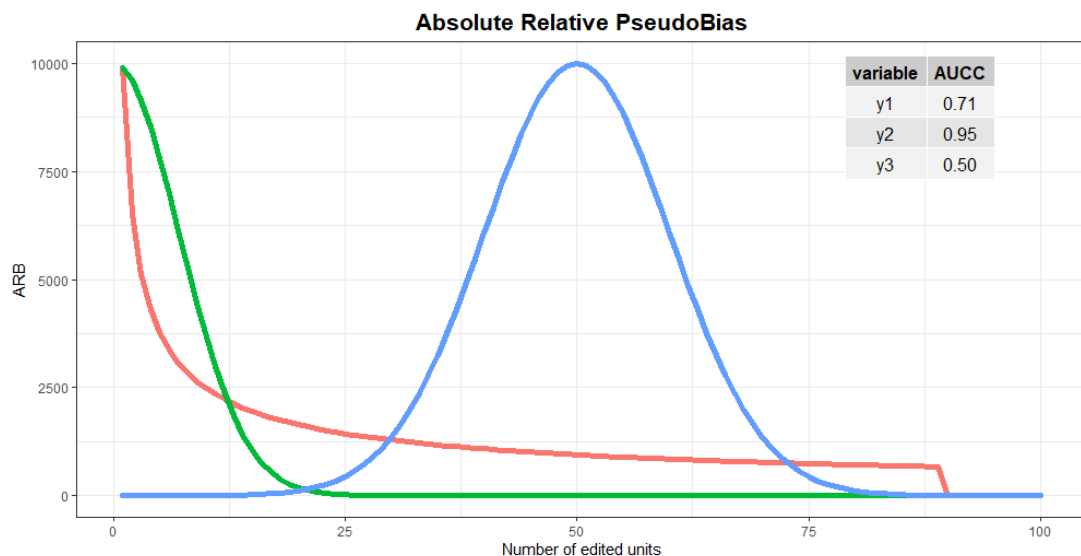


Case 5: Quality Measure

- Area under the ARB cumulative curve (AUCC) with coordinates ($x = n_{ed}$, $y = y_k$):

$$y_k = \frac{\sum_{i=0}^k ARB(n_{ed}=i)}{\sum_{i=0}^n ARB(n_{ed}=i)} \text{ with } k = 0, \dots, n.$$

- $0 \leq AUCC \leq 1$



Case 6: NLP of questionnaire comments

- **Microdata** and **paradata** from data collection:
 - Remarks and comments (read during editing)
- Spanish Industrial Turnover Index Survey (monthly; 12000 units).
- NLP steps:
 - **Preprocess** (lowercase, remove stopwords, substitute into generic expressions...)
 - **Tokenize**
 - Apply **hash trick** to code all tokens
 - **Random forest** of classification. Target: $\epsilon_k \in \{0,1\}$ (revised/not revised)
- Results:

Token	AUC
1-grams	0,5923
2-grams	0,5732



More research is needed

Machine Learning in Official Statistics

Task	ML technique	GSBPM SubPhase
Record linkage	Clustering	2.4, 5.1
Coding	Classification	2.4, 4.3, 5.2
Outlier detection	Clustering	2.4, 4.3, 5.1, 6.2
Stratification	Classification	4.1, 4.3, 5.4, 5.6
Estimation	Regression/classification	4.3
Imputation	Regression/classification	5.4
Calibration	Regression/classification	5.6
SDC	Regression/classification	6.4
Error detection	Regression/classification	5.3
Imputation	Regression	5.4
Estimation w/ admin data	Regression/classification	5.1, 5.5, 5.7

Yung et al (2017) – Uses for Primary Data

Conclusions

- Machine learning algorithms are proving to be extremely useful to modernise and streamline many statistical production tasks even with traditional (survey) data.
- Detection of erroneous values of continuous, categorical, and semicontinuous variables.
- Improvement of accuracy, timeliness, and cost-efficiency in the editing phase.

